

How to set a chalkdust crossnumber

Matthew Scroggs
mscroggs.co.uk



@mscroggs

chalkdust

www.chalkdustmagazine.com



@chalkdustmag

chalkdust



chalkdustmagazine.com

[chalkdustmag](https://www.instagram.com/chalkdustmag)

chalkdust



kdustmaga

chalkdustm

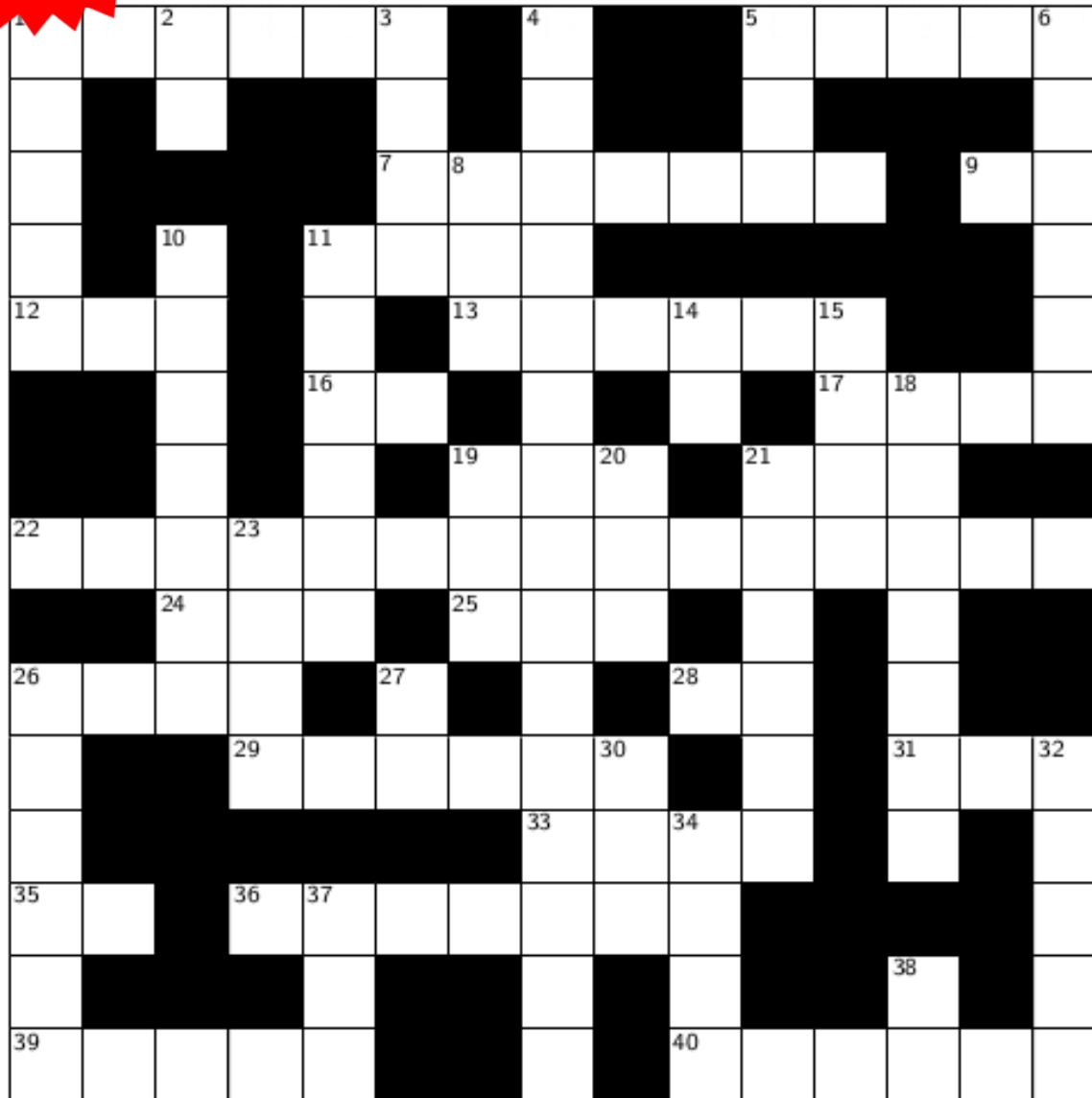


Prize Crossnumber

#2

Set by Humbug

Win
£100!



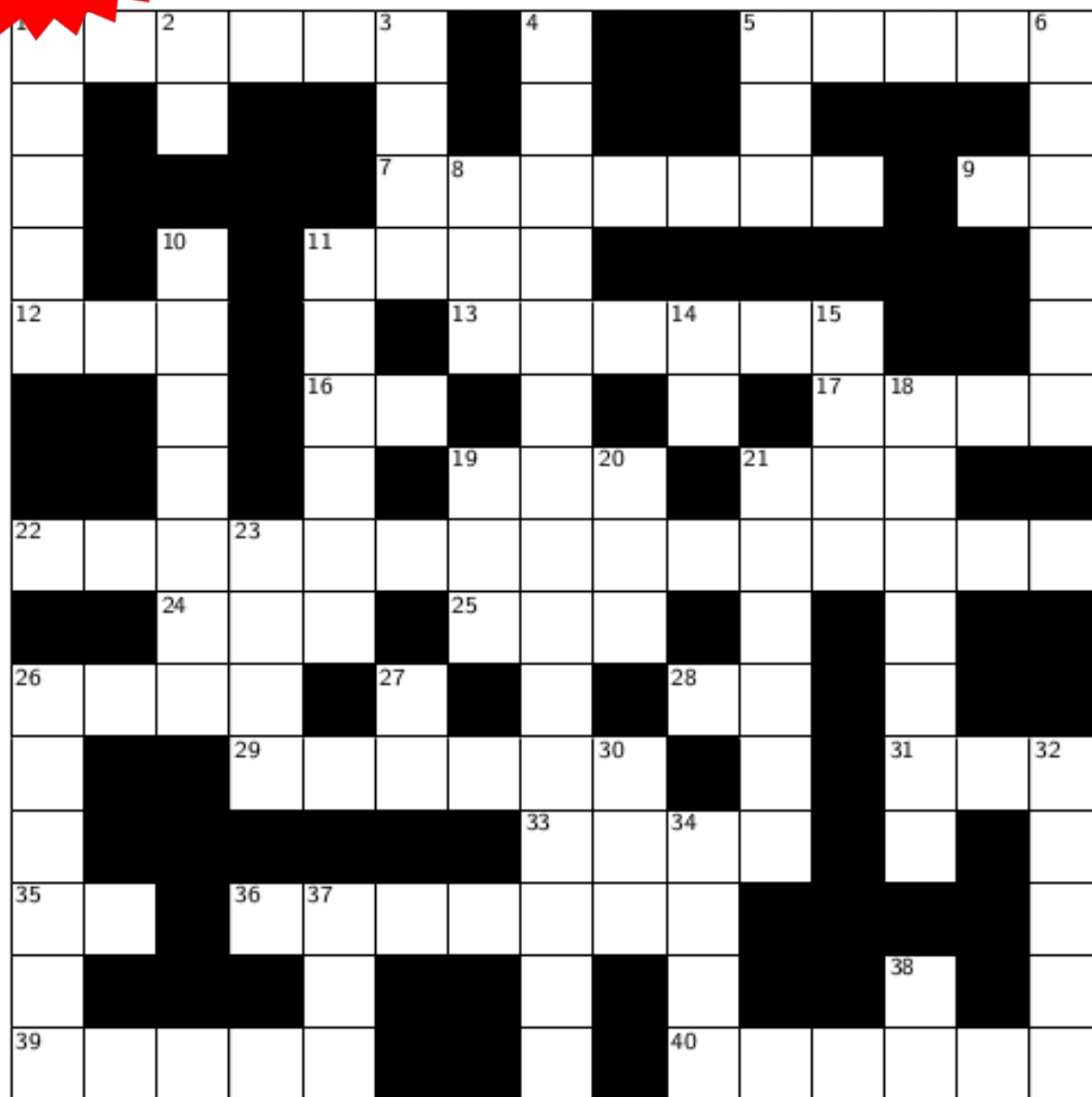
Rules

Prize Crossnumber

#2

Set by Humbug

Win
£100!



13A. 30D multiplied by 12A. (6)

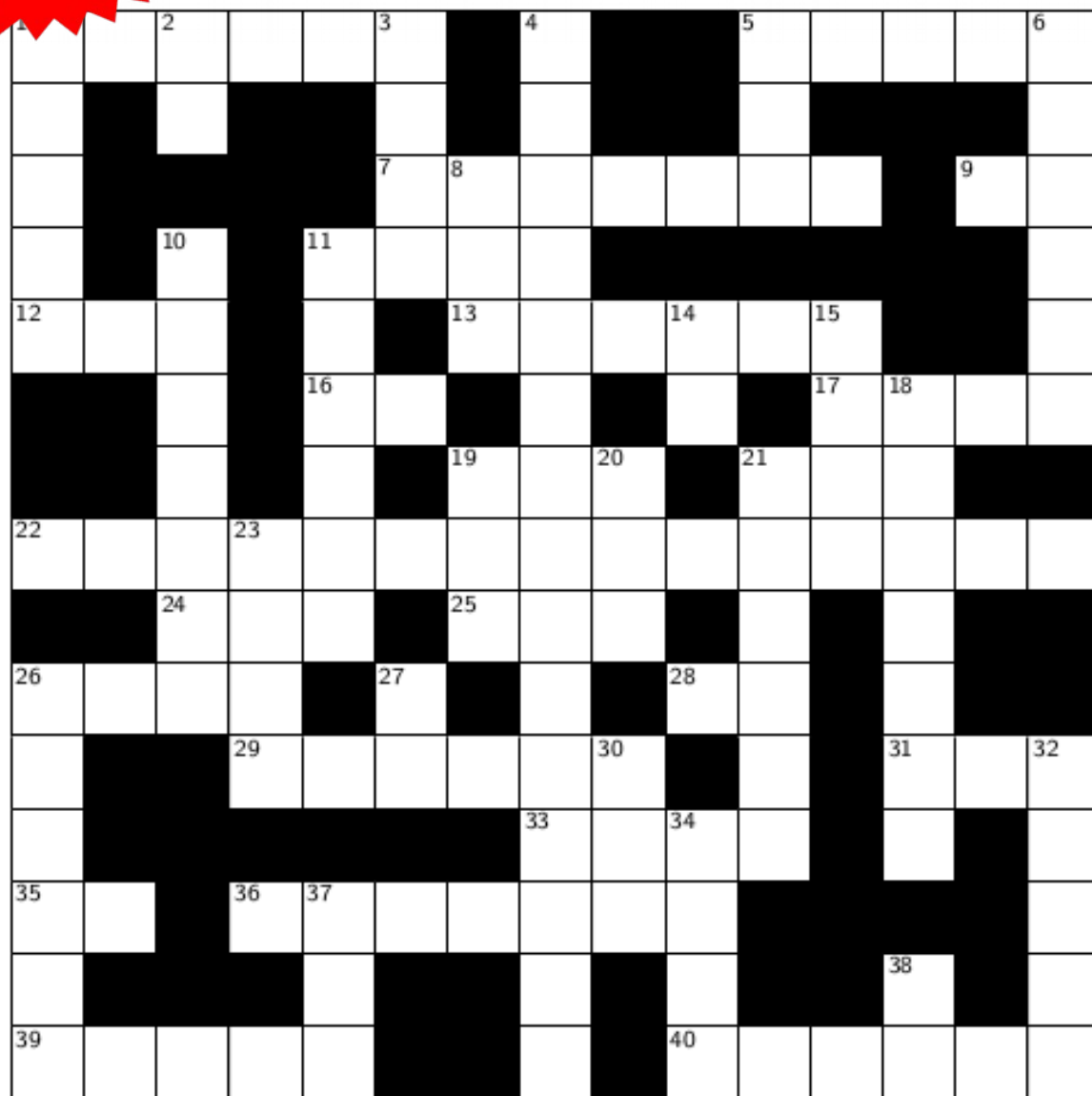
Rules

Prize Crossnumber

#2

Set by Humbug

Win
£100!



13A. 30D multiplied by 12A. (6)

12A. A prime number. (3)

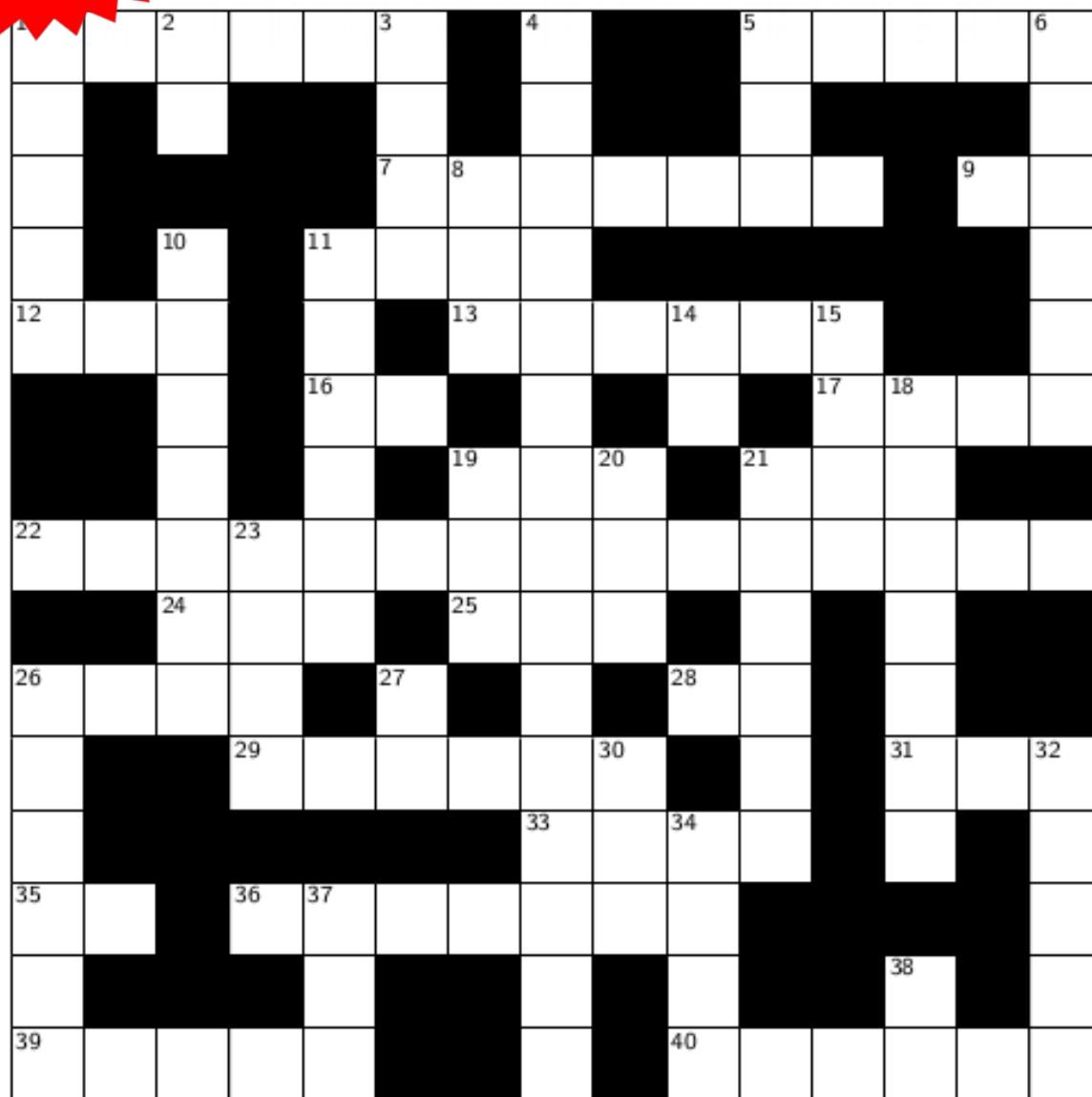
Rules

Prize Crossnumber

#2

Set by Humbug

Win
£100!



13A. 30D multiplied by 12A. (6)

12A. A prime number. (3)

30D. Not a palindrome. (3)

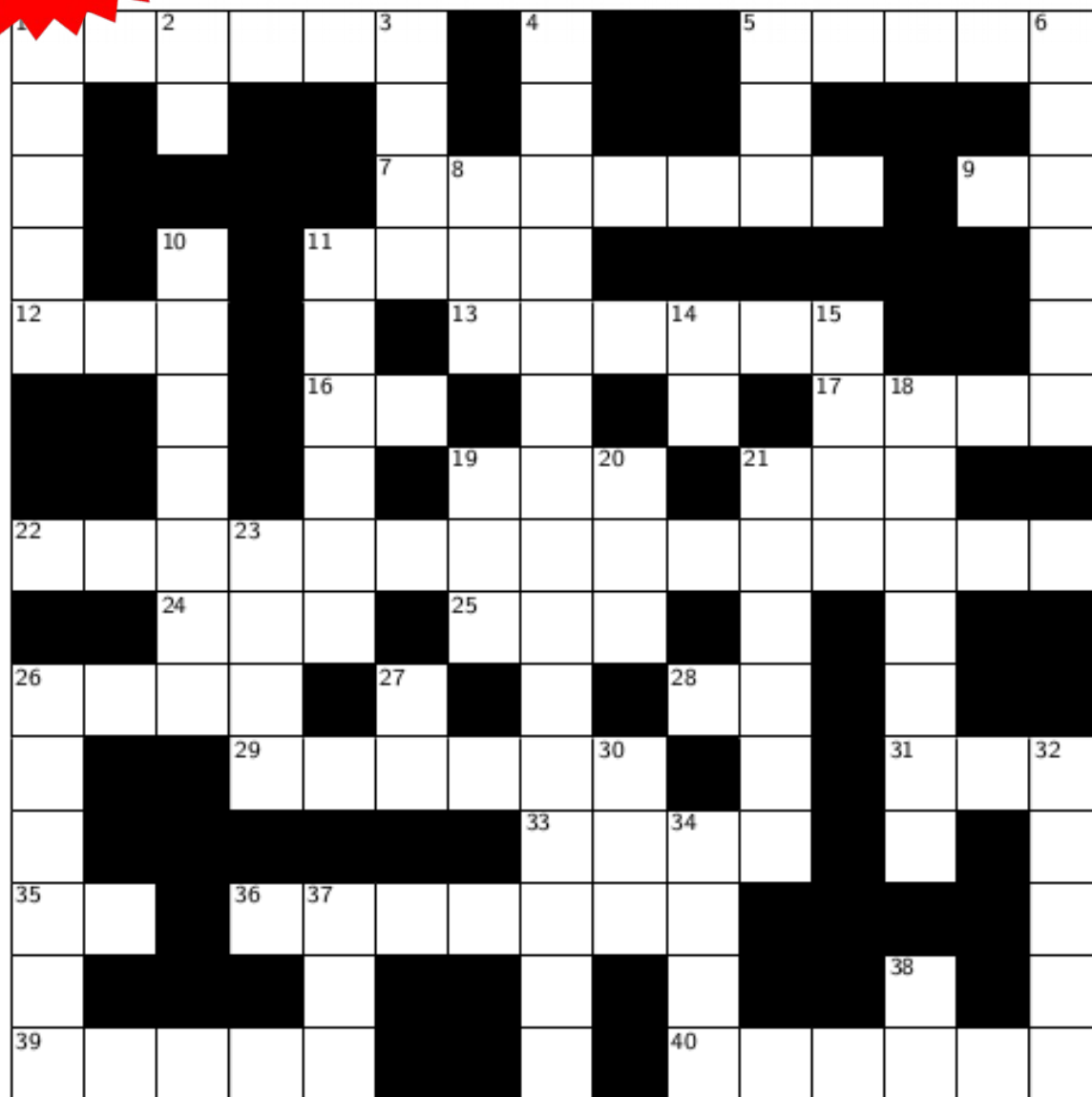
Rules

Prize Crossnumber

#2

Set by Humbug

Win
£100!



13A. 30D multiplied by 12A. (6)

12A. A prime number. (3)

30D. Not a palindrome. (3)

1D. The sum of the proper factors
of 32D. (5)

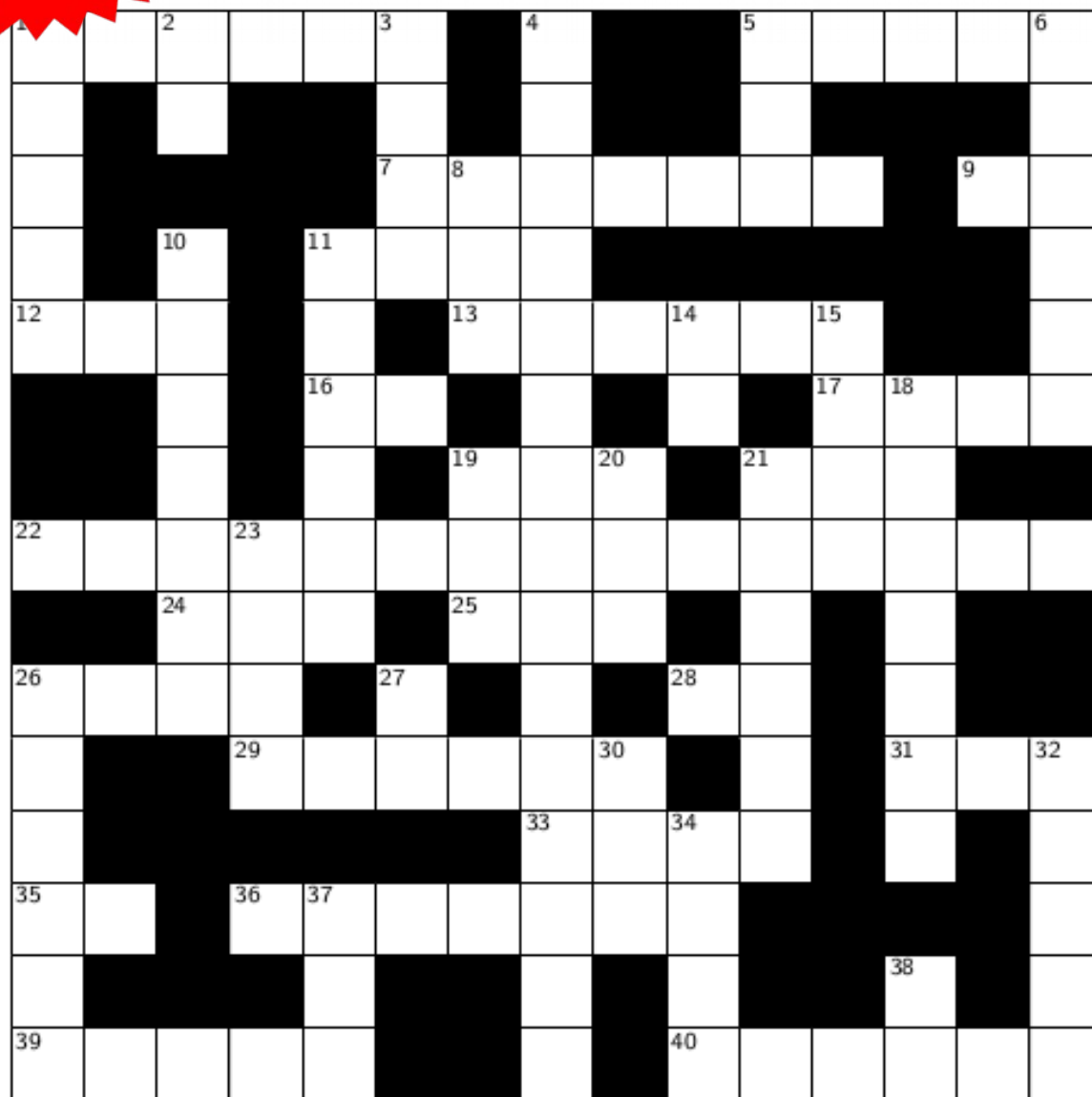
Rules

Prize Crossnumber

#2

Set by Humbug

Win
£100!



13A. 30D multiplied by 12A. (6)

12A. A prime number. (3)

30D. Not a palindrome. (3)

1D. The sum of the proper factors
of 32D. (5)

32D. The sum of the proper
divisors of 1D. (5)

Rules

Prize Crossnumber

Prize Crossnumber

(Issue 2)

Prize Crossnumber

(Issue 2)

16A. The least number of pence which cannot be made using less than 5 coins. (2)

Prize Crossnumber

(Issue 2)

16A. The least number of pence which cannot be made using less than 5 coins. (2)

(Issue 1)

Prize Crossnumber

(Issue 2)

16A. The least number of pence which cannot be made using less than 5 coins. (2)

(Issue 1)

6D. This number's first digit tells you how many 0s are in this number, the second digit how many 1s, the third digit how many 2s, and so on. (10)

Prize Crossnumber

(Issue 2)

16A. The least number of pence which cannot be made using less than 5 coins. (2)

(Issue 1)

6D. This number's first digit tells you how many 0s are in this number, the second digit how many 1s, the third digit how many 2s, and so on. (10)

(Issue 3)

Prize Crossnumber

(Issue 2)

16A. The least number of pence which cannot be made using less than 5 coins. (2)

(Issue 1)

6D. This number's first digit tells you how many 0s are in this number, the second digit how many 1s, the third digit how many 2s, and so on. (10)

(Issue 3)

39A. Why is 6 afraid of 7? (3)

Prize Crossnumber

(Issue 1)

5D. A square number containing every digit from 0 to 9 exactly once. (10)

Prize Crossnumber

(Issue 1)

5D. A square number containing every digit from 0 to 9 exactly once. (10)

A258103	Number of pandigital squares (containing each digit exactly once) in base n. ¹
	0, 0, 1, 0, 1, 3, 4, 26, 87, 47, 87, 0, 547, 1303, 3402, 0, 24192, 187562 (list ; graph ; refs ; listen ; history ; edit ; text ; internal format)
OFFSET	2,6
COMMENTS	<p>For $n = 18$, the smallest and largest pandigital squares are 2200667320658951859841 and 39207739576969100808801. For $n = 19$, they are 104753558229986901966129 and 1972312183619434816475625. For $n = 20$, they are 5272187100814113874556176 and 104566626183621314286288961. - Chai Wah Wu, May 20 2015</p> <p>When n is even, $(n-1)$ is a factor of the pandigital squares. When n is odd, $(n-1)/2$ is a factor with the remaining factors being odd. Therefore, when n is odd and $(n-1)/2$ has an odd number of 2s as prime factors there are no pandigital squares in base n (e.g. 5, 13, 17 and 21). - Adam J.T. Partridge, May 21 2015</p>
LINKS	<p>Table of n, a(n) for n=2..19.</p> <p>A. J. T. Partridge, Why there are no pandigital squares in base 13</p>
EXAMPLE	<p>For $n=4$ there is one pandigital square, $3201_4 = 225 = 15^2$.</p> <p>For $n=6$ there is one pandigital square, $452013_6 = 38025 = 195^2$.</p> <p>For $n=10$ there are 87 pandigital squares (A036745).</p> <p>There are no pandigital squares in bases 2, 3, 5 or 13.</p> <p>Hexadecimal has 3402 pandigital squares, the largest is FED5B39A42706C81.</p>

Prize Crossnumber

(Issue 1)

5D. A square number containing every digit from 0 to 9 exactly once. (10)

A258103	Number of pandigital squares (containing each digit exactly once) in base n. ¹
	0, 0, 1, 0, 1, 3, 4, 26, 87, 47, 87, 0, 547, 1303, 3402, 0, 24192, 187562 (list ; graph ; refs ; listen ; history ; edit ; text ; internal format)
OFFSET	2,6
COMMENTS	<p>For $n = 18$, the smallest and largest pandigital squares are 2200667320658951859841 and 39207739576969100808801. For $n = 19$, they are 104753558229986901966129 and 1972312183619434816475625. For $n = 20$, they are 5272187100814113874556176 and 104566626183621314286288961. - Chai Wah Wu, May 20 2015</p> <p>When n is even, $(n-1)$ is a factor of the pandigital squares. When n is odd, $(n-1)/2$ is a factor with the remaining factors being odd. Therefore, when n is odd and $(n-1)/2$ has an odd number of 2s as prime factors there are no pandigital squares in base n (e.g. 5, 13, 17 and 21). - Adam J.T. Partridge, May 21 2015</p>
LINKS	<p>Table of n, $a(n)$ for $n=2..19$.</p> <p>A. J. T. Partridge, Why there are no pandigital squares in base 13</p>
EXAMPLE	<p>For $n=4$ there is one pandigital square, $3201_4 = 225 = 15^2$.</p> <p>For $n=6$ there is one pandigital square, $452013_6 = 38025 = 195^2$.</p> <p>For $n=10$ there are 87 pandigital squares (A036745).</p> <p>There are no pandigital squares in bases 2, 3, 5 or 13.</p> <p>Hexadecimal has 3402 pandigital squares, the largest is FED5B39A42706C81.</p>

Prize Crossnumber

(Issue 1)

5D. A square number containing every digit from 0 to 9 exactly once. (10)

A258103	Number of pandigital squares (containing each digit exactly once) in base n. ¹
	0, 0, 1, 0, 1, 3, 4, 26, 87, 47, 87, 0, 547, 1303, 3402, 0, 24192, 187562 (list ; graph ; refs ; listen ; history ; edit ; text ; internal format)
OFFSET	2,6
COMMENTS	<p>For $n = 18$, the smallest and largest pandigital squares are 2200667320658951859841 and 39207739576969100808801. For $n = 19$, they are 104753558229986901966129 and 1972312183619434816475625. For $n = 20$, they are 5272187100814113874556176 and 104566626183621314286288961. - Chai Wah Wu, May 20 2015</p> <p>When n is even, $(n-1)$ is a factor of the pandigital squares. When n is odd, $(n-1)/2$ is a factor with the remaining factors being odd. Therefore when n is odd and $(n-1)/2$ has an odd number of 2s as prime factors there are no pandigital squares in base n (e.g. 5, 13, 17 and 21). - Adam J.T. Partridge, May 21 2015</p>
LINKS	<p>Table of n, a(n) for n=2..19.</p> <p>A. J. T. Partridge, Why there are no pandigital squares in base 13</p>
EXAMPLE	<p>For $n=4$ there is one pandigital square, $3201_4 = 225 = 15^2$.</p> <p>For $n=6$ there is one pandigital square, $452013_6 = 38025 = 195^2$.</p> <p>For $n=10$ there are 87 pandigital squares (A036745).</p> <p>There are no pandigital squares in bases 2, 3, 5 or 13.</p> <p>Hexadecimal has 3402 pandigital squares, the largest is FED5B39A42706C81.</p>

Prize Crossnumber

(Issue 1)

5D. A square number containing every digit from 0 to 9 exactly once. (10)

A258103	Number of pandigital squares (containing each digit exactly once) in base n. ¹
	0, 0, 1, 0, 1, 3, 4, 26, 87, 47, 87, 0, 547, 1303, 3402, 0, 24192, 187562 (list ; graph ; refs ; listen ; history ; edit ; text ; internal format)
OFFSET	2,6
COMMENTS	<p>For $n = 18$, the smallest and largest pandigital squares are 2200667320658951859841 and 39207739576969100808801. For $n = 19$, they are 104753558229986901966129 and 1972312183619434816475625. For $n = 20$, they are 5272187100814113874556176 and 104566626183621314286288961. - Chai Wah Wu, May 20 2015</p> <p>When n is even, $(n-1)$ is a factor of the pandigital squares. When n is odd, $(n-1)/2$ is a factor with the remaining factors being odd. Therefore when n is odd and $(n-1)/2$ has an odd number of 2s as prime factors there are no pandigital squares in base n (e.g. 5, 13, 17 and 21). - Adam J.T. Partridge, May 21 2015</p>
LINKS	Table of n, a(n) for n=2..19. A. J. T. Partridge, Why there are no pandigital squares in base 13
EXAMPLE	<p>For $n=4$ there is one pandigital square, $3201_4 = 225 = 15^2$.</p> <p>For $n=6$ there is one pandigital square, $452013_6 = 38025 = 195^2$.</p> <p>For $n=10$ there are 87 pandigital squares (A036745).</p> <p>There are no pandigital squares in bases 2, 3, 5 or 13.</p> <p>Hexadecimal has 3402 pandigital squares, the largest is FED5B39A42706C81.</p>

chalkdustmagazine.com/blog/pandigital-square-numbers/

Prize Crossnumber

Prize Crossnumber

$$78 = 2 + 6 + 8 + 10 + 12 + 40$$

Prize Crossnumber

$$78 = 2 + 6 + 8 + 10 + 12 + 40$$

$$\frac{1}{2} + \frac{1}{6} + \frac{1}{8} + \frac{1}{10} + \frac{1}{12} + \frac{1}{40} = 1$$

Prize Crossnumber

$$78 = 2 + 6 + 8 + 10 + 12 + 40$$

$$\frac{1}{2} + \frac{1}{6} + \frac{1}{8} + \frac{1}{10} + \frac{1}{12} + \frac{1}{40} = 1$$

(Issue 3 Spoiler)

Prize Crossnumber

$$78 = 2 + 6 + 8 + 10 + 12 + 40$$

$$\frac{1}{2} + \frac{1}{6} + \frac{1}{8} + \frac{1}{10} + \frac{1}{12} + \frac{1}{40} = 1$$

(Issue 3 Spoiler)

This can be done with **every number larger than 77**.

chalkdust



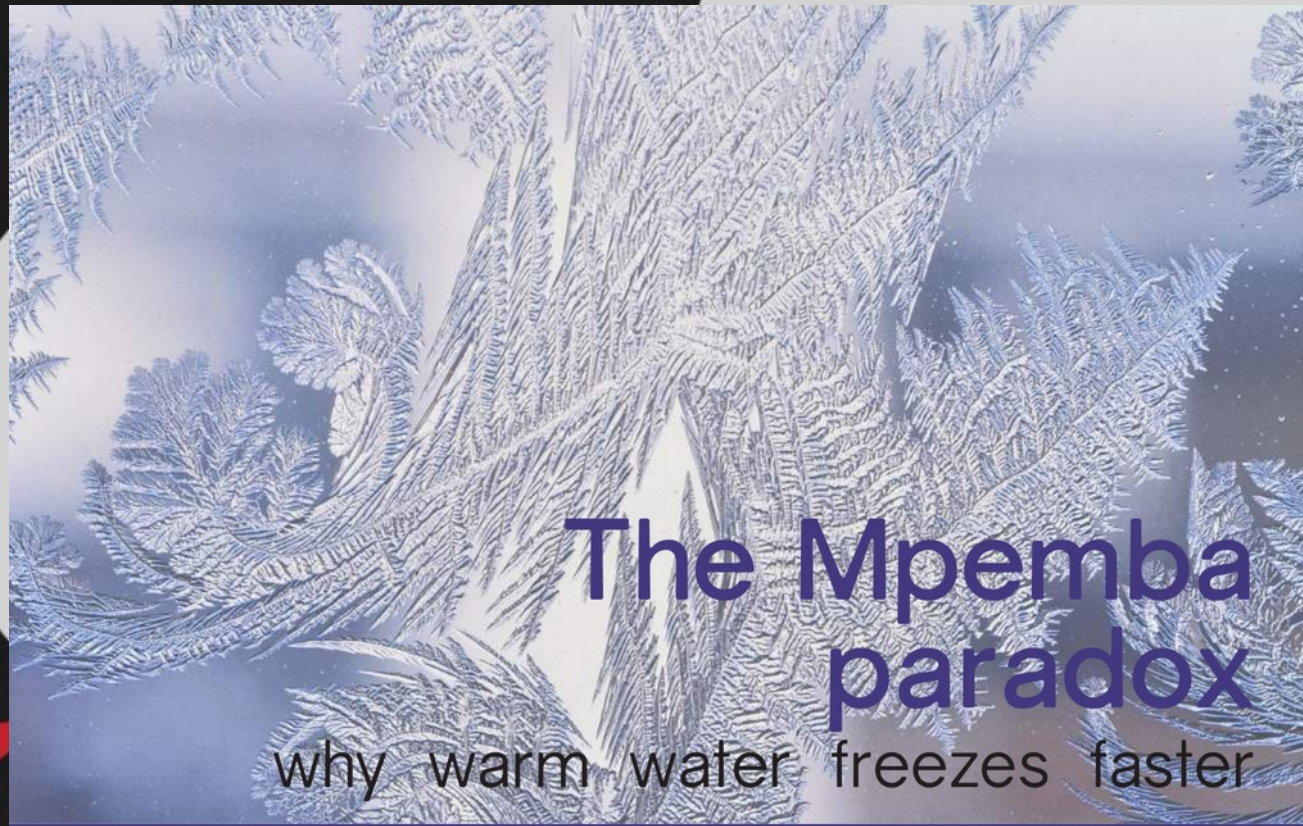
chalkdust

In conversation with...
Artur Avila

Photograph by Tânia Régio/Agência Brasil. Licensed under Creative Commons CC BY-NC 2.0.

Anna Lambert & Rafael Prieto Curiel

chalk dust



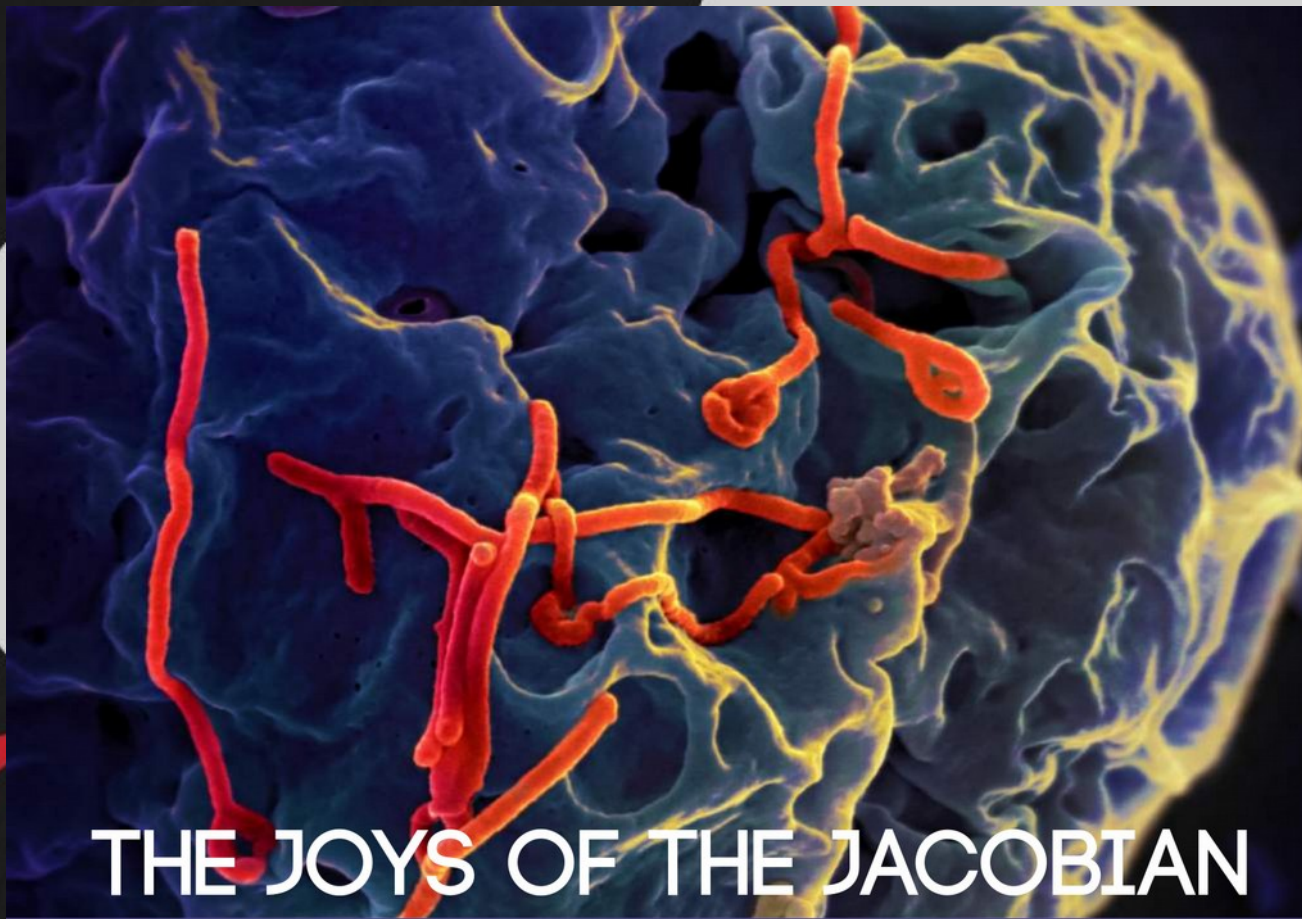
The Mpemba paradox

why warm water freezes faster

Image by Schnobby, licensed under Creative Commons CC BY-SA 3.0

Oliver Southwick

chalk/dust



THE JOYS OF THE JACOBIAN

NIAID, licensed under Creative Commons CC BY 2.0

Robert Smith?

chalk dust

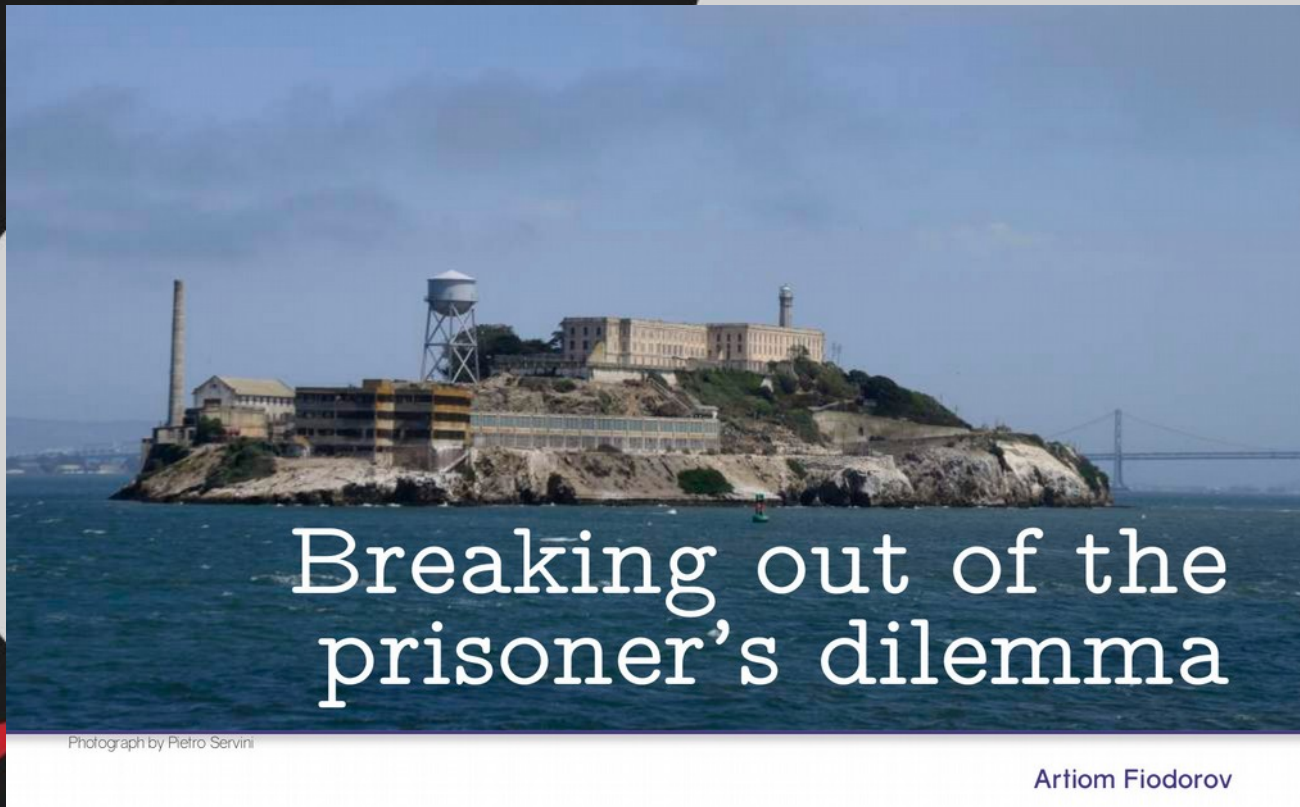


The perils of p -values

Why more discoveries
are false than you thought

David Colquhoun

chalkdust



page **3** model

How to Make...

Prize Crossnumber

sponsored by



Set by Humbug

#2

Win
£100!

My Favourite Function

Well... I came
home to find...



dear dirichlet

Moonlighting agony uncle Professor Dirichlet answers your personal problems.

iTOP-TEN!

what's hot

and

what's not



chalkdust



chalkdust

Issue 3 will be out in March 2016.

chalkdust

Issue 3 will be out in March 2016.

You should write an article!

chalkdust

Issue 3 will be out in March 2016.

You should write an article!

contact@chalkdustmagazine.com

How to set a chalkdust crossnumber

Matthew Scroggs
mscroggs.co.uk



@mscroggs